

ESE GATE PSUs

State Engg. Exams

MADE EASY
WORKBOOK 2025



**Detailed Explanations of
Try Yourself *Questions***

Civil Engineering

Railway, Airport, Tunneling, Dock and
Harbour Engineering



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Track Stresses, Traction and Tractive Resistances



Detailed Explanation of Try Yourself Questions

T1 : Solution

- Number of wagons in the train = 20
 Weight of each wagon = 18 tonnes
 \therefore Total weight of wagons = $18 \times 20 = 360$ tonnes
 Also, weight of locomotive = 120 tonnes
 \therefore Weight of train = $360 + 120 = 480$ tonnes
- Now, number of driving axles in a 2-8-2 locomotive, $n = \frac{8}{2} = 4$
 and load on each driving axle = 22.5 tonnes (given)
 \therefore Hauling capacity = μnW
- where μ = coefficient of friction which has a value = $\frac{1}{6}$
 n = number of driving axles in locomotive
 W = load on each driving axle
- \therefore Hauling capacity = $\frac{1}{6} \times 4 \times 22.5 = 15$ tonnes
- Tractive effort of locomotive = 15 tonnes
 We know that total resistance = $RT_1 + RT_2 + RT_3 + W \tan \theta$
- where RT_1 = Rolling resistance independent of speed
 RT_2 = Resistance dependent on speed
 RT_3 = Atmospheric resistance
- Now, RT_1 = RT_1 for locomotive + RT_1 for wagons
 $= 3.5 \times 120 + 2.5 \times 360 = 420 + 900 = 1320$ kg or 1.32 tonnes
 RT_2 = 2.65 tonnes (given)
 RT_3 = $0.0000006 WV^2$
- where W = Total weight of train = 480 tonnes
 V = Speed of train in kmph
- \therefore RT_3 = $0.0000006 \times 480 \times (50)^2 = 0.72$ tonnes

$$\begin{aligned} \text{Now,} & \quad \text{Hauling capacity} = \text{Total resistance} \\ \text{But} & \quad \text{Total resistance} = RT_1 + RT_2 + RT_3 + W \tan \theta \\ \Rightarrow & \quad 15 = 1.32 + 2.65 + 0.72 + 480 \tan \theta \\ \Rightarrow & \quad \tan \theta = \frac{10.31}{480} \\ \Rightarrow & \quad \tan \theta = \frac{1}{46.56} \end{aligned}$$

Thus the steepest gradient will be 1 in 47 (approx.)

T2 : Solution

$$\begin{aligned} \text{Total weight of train} &= \text{Weight of locomotive} + \text{Weight of wagons} \\ &= 120 + 20 \times 18 = 480 \text{ tonnes} \\ \text{Rolling resistance of each wagon} &= 2.5 \times 18 = 45.0 \text{ kg} \\ \text{Rolling resistance of all wagons} &= 45 \times 20 = 900 \text{ kg} \\ \text{Rolling resistance of locomotive} &= 120 \times 0.35 = 42 \text{ kg} \\ \text{Therefore total resistance of locomotive and wagon} &= 942 \text{ kg} = 0.942 \text{ tonnes} \\ \text{Atmospheric resistance} &= 0.0000006 wV^2 \\ &= 0.0000006 \times 480 \times 50^2 = 0.72 \text{ tonne} \\ \text{Resistance depending upon speed} &= 0.000008 wV \\ &= 0.000008 \times 480 \times 50 = 1.92 \text{ tonnes} \\ \text{Train resistance} &= \text{Rolling resistance} + \text{Resistant depending on speed} + \\ &\quad \text{Atmospheric resistance} + \text{Resistance due to gradient} \\ &= 0.942 + 1.92 + 0.72 + \frac{1}{g} \times 480 \end{aligned}$$

where the gradient required is 1 in g .

Equating the resistance with tractive effort of locomotive

$$\begin{aligned} 12 &= 3.582 + \frac{480}{g} \\ \Rightarrow & \quad g = \frac{480}{8.418} = 57 = 60 (\text{say}) \end{aligned}$$

\therefore Steepest gradient permissible is 1 in 60.



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Geometric Design of Track



Detailed Explanation of Try Yourself Questions

T1 : Solution

(a)

For Main Track,

$$D = 3^\circ$$

$$R = \frac{1750}{3} = 583.33 \text{ m}$$

$$\therefore (e_{th})_{MT} = (e_{act})_{MT} + CD$$

$$\Rightarrow \frac{G(V_{max})_{MT}^2}{127R} = (e_{act})_{MT} + \left(\frac{7.6}{100}\right)$$

$$\Rightarrow \frac{1.750(70)^2}{127 \times 583.33} = (e_{act})_{MT} + \left(\frac{7.6}{100}\right)$$

$$\Rightarrow (e_{act})_{MT} = 0.03974 \text{ m} = 3.975 \text{ cm}$$

For Branch Track, ($D = 5^\circ$)

$$\therefore (e_{th})_{BT} = -(e_{act})_{MT} + CD$$

$$\Rightarrow \frac{1.750(V_{max})_{BT}^2}{127 \times \left(\frac{1750}{5}\right)} = \left(\frac{-3.975 + 7.6}{100}\right)$$

$$\Rightarrow (V_{max})_{BT} = 30.3438 \approx 30.345 \text{ kmph}$$

(b)

For Branch Track, ($D = 5^\circ$)

$$\therefore (e_{th})_{BT} = -(e_{act})_{MT} + CD$$

$$\Rightarrow \frac{1.750 \times (V_{\max})_{BT}^2}{127 \times \left(\frac{1750}{5}\right)} = -(e_{\text{act}})_{MT} + \left(\frac{7.6}{100}\right)$$

$$\Rightarrow \frac{1.750 \times 40^2}{127 \times \left(\frac{1750}{5}\right)} = -(e_{\text{act}})_{MT} + \left(\frac{7.6}{100}\right)$$

$$\Rightarrow (e_{\text{act}})_{MT} = 0.013 \text{ m} = 1.3 \text{ cm}$$

For Main Track, ($D = 3^\circ$)

$$\therefore (e_{\text{th}})_{MT} = (e_{\text{act}})_{MT} + CD$$

$$\Rightarrow \frac{1.750 \times (V_{\max})_{MT}^2}{127 \times \left(\frac{1750}{3}\right)} = \left(\frac{1.3 + 7.6}{100}\right)$$

$$\Rightarrow (V_{\max})_{MT} = 61.38 \text{ kmph}$$

T2 : Solution

Given: Actual cant, $C_a = 9 \text{ cm}$
Cant deficiency, $C_d = 10 \text{ cm}$
 $V_{\max} = 145 \text{ kmph}$

Check for maximum speed,

$$\therefore e_{\text{th}} = e_{\text{act}} + CD$$

$$\Rightarrow \frac{G(V_{\max})^2}{127R} = C_a + C_d$$

$$\Rightarrow \frac{1.750(V_{\max})^2}{127 \times \left(\frac{1750}{2}\right)} = \left(\frac{9 + 10}{100}\right)$$

$$\Rightarrow V_{\max} = 109.84 \text{ kmph}$$

Based on transition curve,

$$\therefore V_{\max} = \frac{198L}{C_a} \text{ or } \frac{198L}{C_d}$$

$$\Rightarrow V_{\max} = \frac{198 \times 125}{9 \times 10} \text{ or } \frac{198 \times 125}{10 \times 10}$$

$$\therefore V_{\max} = (275 \text{ or } 247.5) \text{ kmph}$$

So, V_{\max} adopted = minimum of (145 kmph, 109.84 kmph, 275 kmph, and 247.5 kmph)
= 109.84 kmph

T3 : Solution

$$V_{\text{avg}} = \frac{n_1V_1 + n_2V_2 + n_3V_3 + n_4V_4}{n_1 + n_2 + n_3 + n_4}$$

$$\Rightarrow V_{\text{avg}} = \frac{15(35) + 12(60) + 8(90) + 3(95)}{15 + 12 + 8 + 3}$$

$$\Rightarrow V_{\text{avg}} = 59.21 \text{ kmph}$$

$$\begin{aligned} \therefore (e_{\text{act}}) &= \frac{GV^2}{127R} \\ &= \frac{1.750 \times 59.21^2}{127 \times \frac{1750}{3}} = 0.0828 \text{ m} = 8.28 \text{ cm} \end{aligned}$$

For maximum permissible speed,

$$\frac{GV_{\text{max}}^2}{127R} = (e_{\text{act}}) + CD$$

$$\frac{1.750 \times V_{\text{max}}^2}{127 \times \frac{1750}{3}} = (8.28 + 7.5) \times 10^{-2}$$

$$\therefore V_{\text{max}} = 81.73 \text{ kmph}$$

Check for cant excess required

$$\text{Cant for slowest train} = \frac{GV_{\text{slow}}^2}{127R} = \frac{1.750 \times 35^2}{127 \times \frac{1750}{3}} = 0.0289 \text{ m}$$

$$= 2.89 \text{ cm}$$

$$\text{Provided cant} = 8.28 \text{ cm}$$

$$\begin{aligned} \therefore \text{Cant excess} &= 8.28 - 2.89 \\ &= 5.39 \text{ cm} < 7.5 \text{ cm} \quad (\text{OK}) \end{aligned}$$



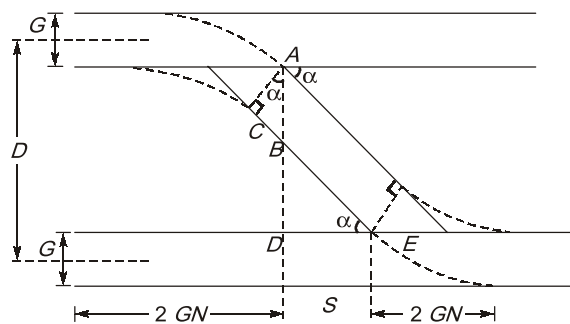
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Points and Crossings



Detailed Explanation of Try Yourself Questions

T1 : Solution



Let

N = Number of crossing

α = Angle of crossing

G = Gauge distance (1.676 m in case of BG)

D = Centre to centre distance between two tracks

$2GN$ = Length of turnouts

S = Straight horizontal portion between the turnouts

$N = \cot \alpha$

From ΔBDE , $S = DE = BD \cot \alpha$

$$= (AD - AB) \cot \alpha$$

$$= [(D - G) - G \sec \alpha] \cot \alpha \quad \left[\because \cos \alpha = \frac{AC}{AB} \text{ and } AC = G \right]$$

$$= \left[(D - G) - G \sqrt{1 + \tan^2 \alpha} \right] N$$

$$= \left[(D - G) - G \sqrt{1 + \frac{1}{\cot^2 \alpha}} \right] N$$

$$= \left[(D - G) - \frac{G}{N} \sqrt{1 + N^2} \right] N$$

$$\Rightarrow S = (D - G) N - G\sqrt{1 + N^2}$$

But overall length of cross over = $4 GN + S$

$$= 4 GN + (D - G) N - G\sqrt{1 + N^2}$$

Given that $G = 1.676 \text{ m}$, $N = 8.5$, $D = 5 \text{ m}$

$$\begin{aligned} \therefore \text{Overall length of cross over} &= 4 \times 1.676 \times 8.5 + (5 - 1.676) \times 8.5 - 1.676\sqrt{1 + (8.5)^2} \\ &= 70.89 \text{ m} \end{aligned}$$

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