Indere



India's Best Institute for IES, GATE & PSUs

ESE 2019 : Mains Test Series

ENGINEERING SERVICES EXAMINATION

Civil Engineering

Test-5: Flow of Fluids, Hydraulic Machines and Hydro Power **Design of Concrete and Masonry Structures-1** Strength of Materials-2

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oll No : Test Centre	C E I	J M T	INA	5 0 7	Student's Signature
Delhi 🔲 Lucknow 🗍 Hyderabad 🗍	Bhopal Pune	Noida ☐ Kolkata ☐	Jaipur Bhubaneswar	Indore Patna	A6420V
Instr	uctions for	Candidates		FO	R OFFICE USE

- Do furnish the appropriate details in the answer sheet (viz. Name & Roll No).
- 2. Answer must be written in English only.
- Use only black/blue pen. 3.
- 4. The space limit for every part of the question is specified in this Question Cum Answer Booklet. Candidate should write the answer in the space provided.
- 5. Any page or portion of the page left blank in the Question Cum Answer Booklet must be clearly struck off.
- 6. Last two pages of this booklet are provided for rough work. Strike off these two pages after completion of the examination.

FOR OFF	ICE USE		
Question No.	Marks Obtained		
Section	on-A		
Q.1	\$ 55		
Q.2	-		
Q.3	38		
Q.4	58		
Section	on-B		
Q.5	56+1=5		
Q.6			
Q.7	58		
Q.8			
Total Marks Obtained	26541		

Command on such signature of Evaluator

Cross Checked by

Corp. office: 44 - A/1, Kalu Sarai, New Delhi-16 | Ph: 011-45124612, 9958995830 | Web: www.madeeasy.in

Excellent command on subjects.

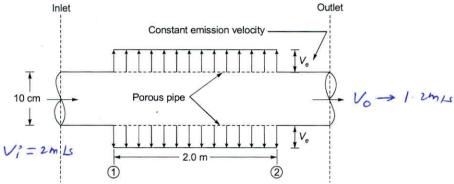
Just little bit improve your way of presenting the answers.

Overall very good.



Section A: Flow of Fluids, Hydraulic Machines and Hydro Power

- (a) A circular pipe 10 cm in diameter has a 2 m length which is porous. In this porous section the velocity of exit is known to be constant as shown in figure. If the velocities at inlet and outlet of the porous section are 2.0 m/s and 1.2 m/s respectively. Estimate
 - (i) the discharge emitted out through the walls of the porous pipe and
 - (ii) the average velocity of this emitted discharge.



[12 marks]

$$\frac{6.283}{10^3} = Vavg \times Aseq$$

$$\frac{6.283}{10^3} = Vavg \times TT \times 0.1 \times 2$$
From $Vavg = 0.01 \text{ m/s}$

$$\frac{10}{10^3} = Vavg = 0.01 \text{ m/s}$$

$$\frac{10}{10^3} = \frac{10}{10^3} =$$



- (b) (i) Explain forced vortex flow occurring in a centrifugal pump.
 - (ii) Water is flowing through a smooth pipe of 100 mm diameter at rate of 0.036 m³/s. Determine
 - (a) Darcy's friction factor
 - (b) Normal thickness of viscous sub layer

Take kinematic viscosity = 10^{-6} m²/s and f (Darcy's friction factor) = $0.0032 + \frac{0.221}{R^{0.237}}$

5010

[6 + 6 marks]

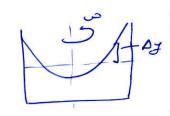
1 In forced vortex flow, an external torque acts on fluid.

In pump this torque supplied by sotating sunner vanes, by sotating fluid in pump, its energy is increased.

water enters at impeller eye and flows out into go adually expanding spiral, velocity bes and pressure les

(3)





At suction side pressure is low, of outlet high pressure maintained by pump.

(i)

$$D = 0.1m \qquad Q = 0.03 \text{ m/s}$$

$$\int \frac{Q}{ds} = \frac{Q}{A} = \frac{Q}{7D^2} = 4.584 \text{ m/s}$$

$$Re = \frac{0.0D}{P} = 4.584 \times 0.1 = 4.584$$

$$6:0.0032+0.221$$
 $Re^{0.237}$

$$f = 0.0032 + 0.221$$
 (4.584 × 10^{5}) 0.23+

(b)
$$\frac{Uang}{U*} = \sqrt{\frac{8}{8}}$$
.
 $\frac{1}{4}$ $\frac{1}{8}$ $\frac{1}{8}$ $\frac{1}{8}$ $\frac{1}{8}$ $\frac{1}{8}$ $\frac{1}{8}$ $\frac{1}{8}$

$$d' = 11.68 = 11.6 \times 10^{-6} = 62.06 \times 10^{-6}$$





Show that at the critical state of flow, the specific energy in a rectangular channel is equal to 1.5 times the depth of flow. Also find at critical flow condition whether the depth of flow will be greater or less than $\frac{2}{3}$ times specific energy for a trapezoidal channel.

Sole
$$E = y + \frac{Q^{2}}{2gA^{2}}$$

Rect. channel $A = By$ $A = By$

$$E = y + \frac{Q^{2}}{2gy^{2}}$$

$$dE = 0 = D \quad \text{Critical State}$$

$$1 - \frac{Q^{2}}{gy^{3}} (2y^{3})$$

$$1 = \frac{Q^{2}}{gy^{3}}$$

$$1 = \frac{Q^{2}}{gy^{3}} = 1.5y$$

$$E = 1.5y$$

$$At \quad \text{Critical flow first transfell } y^{3}$$

$$A = y + \frac{Q^{2}}{2gA^{2}} = y + \frac{Ag}{72g}$$

$$E = y + \frac{Q^{2}}{2gA^{2}} = y + \frac{Ag}{72g}$$

$$E = y + \frac{Ag}{2gA^{2}} = y + \frac{Ag}{72g}$$

$$E = y + \frac{A}{2T}$$

$$A(x) = \frac{By + My^2}{y(B + 2My)} < \frac{y}{2}$$

$$hence \quad E = y + \frac{A}{2T} \quad y + \frac{y}{2}$$

$$y > 2 \cdot \frac{E}{3}$$

$$Depth > 2 \cdot \frac{E}{3}$$

Q.1 (d) An empty tank with all sides closed is 12.5 m long, 0.7 m broad and 0.6 m high. The surface of sheet metal weighs 363 N/m² and the tank is allowed to float in fresh water with 0.6 m side vertical. Determine the state of equilibrium.

[12 marks]

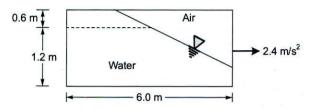
Now

Nevert Following $363 \times 12.5 \times 0.5 \times 0.6 = |r_0 \times R| \times 0/5 \times 12/5$ |R| = 9.02 + 2/5

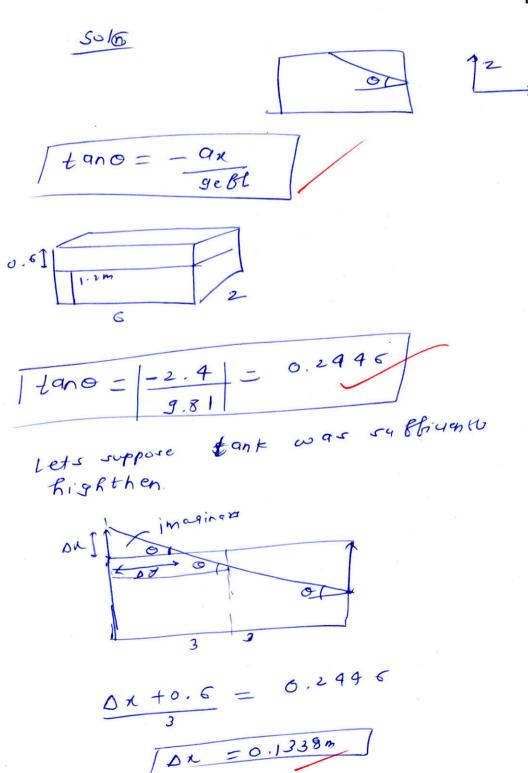


```
weight of tonk= 363x[2][0,6x0.7+6.6x12.5
                      + 12.5×0.0]
     TW= 12.10292FN
     W = FB
 12.10242= rox 0.7x12.5xh
    R = 0.14 m ] -> subnessed depth,
Now
  for stobility
     GM >0
     MB > BG
    I > 0.6 - 1/2
 12/.5 \times 0.73^{2} > 0.3-0.0705
Hence. GM >0 / St ob/c
                     vesticals
     GM = 0.06 m
```

Q.1 (e) A closed tank 6 m long, 2 m wide and 1.8 m deep initially contains water to a depth of 1.2 m. The top has an opening in the front part to have air space at atmospheric pressure. If the tank has given a horizontal acceleration at a constant value of 2.4 m/s² along its length, calculate the total pressure force on the top of the tank.



[12 marks]



Frop = neight of imasingsy water

 $\frac{\Delta k}{\Delta r} = t \cdot 900 = 0.2946$ $\sqrt{\Delta r} = 0.5'97m$

FPF= rwx 1 x D1 x Dy x 2

FAP= 9.81× 0.1338× 0.597

IFT:1= 0.7179 FN

0.79 KN

(19



Q.2 (a)

A cylinder 0.25 m in radius and 2 m in length rotates coaxially inside a fixed cylinder of the same length and 0.30 m radius. Olive oil of viscosity 4.9×10^{-2} Ns/m² fills the annular space between the cylinders. A torque 4.9 N-m is applied to the inner cylinder. After constant velocity is attained, calculate the velocity gradient at the cylinder walls, the resulting rpm, and the power dissipated by fluid resistance ignoring end effect.

[20 marks]

this r

Q.2 (b) A pump impeller is 37.5 cm in diameter and discharges water with velocity components of 2 m/s and 12 m/s in the radial and tangential directions respectively. The impeller is surrounded by a concentric cylindrical chamber with parallel sides, the outer diameter being 45 cm. If the flow in this chamber is a free-spiral vortex, find the components of velocity of water on leaving and the pressure rise in the shroud if there is no loss.

[20 marks]

Q.2 (c)

(i) Many researchers believe that the problem of air-entertainment in free surface vortex formation at intakes is influenced by forces of viscosity and surface tension. Show that for dynamic similarity between model and prototype, the following relationship must be satisfied:

$$\left(\frac{\mu V}{\sigma}\right)_m = \left(\frac{\mu V}{\sigma}\right)_p$$

Also prove that by use of the same liquid results in the "equal-velocity" concept of model testing.

- (ii) Water from a reservoir flowing through a rigid 150 mm diameter pipe, with a velocity 2.4 m/s is completely stopped by closure of a valve situated 1100 m from the reservoir, determine the maximum rise in pressure, when valve closure takes place
 - (1) In one second and
 - (2) In five seconds

Without damping of pressure wave. Consider the velocity of sound in water as 1432 m/s.

[10 + 10 marks]

Do not write in this margin

An inward flow reaction turbine has inlet and outlet diameters of 1.2 m and 0.6 m respectively. The breadth at the inlet is 0.25 m and at the outlet it is 0.35 m. At a speed of rotation of 250 rpm, the relative velocity at entrance is 3.5 m/s and is radial. Calculate the (i) absolute velocity at entrance and the inclination to the tangent of the runner,

(ii) discharge and (iii) the velocity of flow at the outlet.

[20 marks]

50 10

$$D_1 = 1.2m$$
 $B_1 = 0.25m$
 $D_2 = 0.6m$ $B_2 = 0.35m$

Inlet D VI JURI = 3.5m/s = VE,

$$V_1 = \sqrt{41^2 + 421^2} = \sqrt{15.71^2 + 3.5^2}$$

entrance

would

in clination of $X_1 = 12.56$ of tansent

of sunger



(i) Q= TD, B, VP, [Neglect bickness]

Φ=π×1.2×0.25 x 3.5 TQ= 3.298 m3/5

(ii) Now Q= ND, B, VG, = TD, B, VG2

1.2x0.25x3.5=0.6x0.35x162

velocity -> TUB2 = 5m15 of \$1000 at outlet



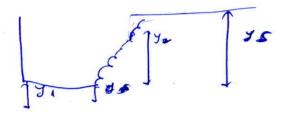
Show that for a submerged hydraulic jump just downstream of a sluice gate, in a horizontal rectangular channel,

$$\frac{y_s}{y_1} = \sqrt{2F_1^2 \left(\frac{y_1}{y_2} - 1\right) + \left(\frac{y_2}{y_1}\right)^2}$$

where y_1 is the depth of opening of the sluice gate, y_2 is the depth of flow downstream of the submerged hydraulic jump, y_s is the water depth on the downstream side of the sluice gate and F_1 is the Froude number of flow through the sluice opening.

[20 marks]

50 60



Let dis charge intensity be 2 m2/5

Rose viers Momentum equation

$$\begin{vmatrix} y_{2} = -1 & (\sqrt{1+8}x_{1}^{2} + 1) \\ y_{1} = -1 & (\sqrt{1+8}x_{1}^{2} + 1) \end{vmatrix}$$

$$= 29^{2} = 9(3)(9(4+3))$$

Now





MADE ERSY Question Cum Answer Booklet Page 20 of 64

Do no write i this m

- .3 (c)
- (i) What is meant by local and convective acceleration? For a one dimensional flow described by V(x, t), derive the expression for convective acceleration in terms of velocity and its gradient.
- (ii) A rectangular channel 5.2 m wide has a discharge of 10 m³/sec at a velocity of 1.25 m/s. At a certain section the bed width is reduced to 3.0 m through a smooth transition. A smooth flat hump is to be built in this contracted section to cause critical flow for flow measurement purposes. Estimate the height of the hump necessary for this purpose. (Assume no loss of energy at the transition.)

[10 + 10 marks]

Decord acceler ation— acceler when pRsate of dange of velocity with respect

to time (pastion destructive) $at = \frac{\partial v}{\partial t}$ convertise acceleration— Rate of

change of velocity along space $as = \frac{\partial v}{\partial s}$ $as = \frac{\partial v}{\partial s}$ $as = \frac{\partial v}{\partial s}$

V(x,t)

Divide by at

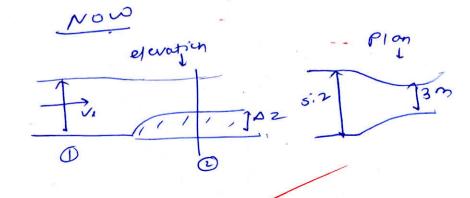
$$a = \frac{dv}{dt} = \frac{\partial v}{\partial t} \times \frac{dx}{dt} + \frac{\partial v}{\partial x} \times \frac{dx}{dt}$$

acceler otion

Convective = $V(x,t) = \frac{\partial V(x,t)}{\partial x}$

(ii)
$$Q = 10m^3/s$$

 $B_1 = 5.2m$
 $V_1 = 1.25m/s$
 $B_2 = 3m/m$



- chessy

At section @ flow is coinced.

 $y_c = \left(\frac{q^2}{g}\right)^{\frac{1}{3}} \qquad E_z = E_c = 1.5 y_c$

 $Q = \frac{Q}{3} = \frac{10}{3}$

At $TY_c = 1.042m$ | $E_2 = E_c = 1.5Y_c = 1.564$

 $E_1 = y_1 + \frac{V_1^2}{2}$

 $E_1 = y_1 + \frac{V_1^2}{2s}$ $y_1 = \frac{Q}{8v_1} = \frac{10}{5.2 \times 1.25} = 1.538 \text{ m}$

Fr = 1.538 + 1.252 = 1.618 m

FI = ExtDZ 1.618-1.569= AZ =0.054m

hump -> 1/02 = 5. 41 cm Reisht



- Q.4 (a) (i) For the velocity profile, $\frac{u}{U_{rec}} = \frac{3}{2} \left(\frac{y}{\delta} \right) \frac{1}{2} \left(\frac{y}{\delta} \right)^3$ on a flat plate, find out the average velocity and kinetic energy correction factor.
 - (ii) Calculate the friction drag on a flat plate 15 cm wide and 45 cm long placed longitudinally in a stream of oil of relative density 0.925 and kinematic viscosity 0.9 stoke, flowing with a free stream velocity of 6.0 m/s. Also, find the thickness of the boundary layer and shear stress at the trailing edge.

[10 + 10 marks]

$$| Vans | = \int V dA$$

$$| Vans | = \int U_{\infty} \times \frac{1}{2} \left[3 \left(\frac{y}{\delta} \right) - \frac{y^{3}}{2} \right] \times dy$$

$$| Vans | = \int U_{\infty} \times \frac{1}{2} \left[3 \left(\frac{y}{\delta} \right) - \frac{y^{3}}{2} \right] \times dy$$

$$| Vans | = \int U_{\infty} \times \frac{3}{2} \int - \int \frac{1}{2} \int \frac{1}$$

$$= \int_0^1 \left[1.5t - \frac{t^3}{2} \right] 6 \int_0^1 dy$$

$$\begin{array}{c|c}
\hline
 & & \\
\hline
 & & & \\
\hline
 & & \\$$

Lcts were

$$ReL = \frac{Vo L}{D} = \frac{6 \times 0.45}{0.9 \times 10^{-4}} = 3 \times 10^{4}$$

B. L. thoughout Lominas

As per B19 5, 45.

$$C_{f}$$
 and $=\frac{1.328}{\sqrt{ReL}} = \frac{1.328}{\sqrt{3} \times 10^{9}}$
 C_{f} and $=\frac{7.667 \times 10^{3}}{\sqrt{8}}$

Fore =
$$\frac{1}{2}\beta C_f A V_o^2$$

Fore = $\frac{1}{2} \times \frac{925 \times 7.667 \times 15^{-3} \times 0.15 \times 15^{-3}}{0.45 \times 6^2}$

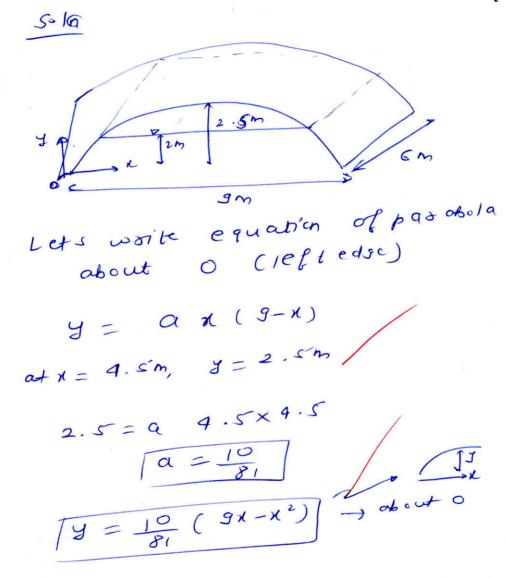
$$\frac{1}{2} \frac{1}{8} \frac{1}{8} \frac{1}{8} \frac{1}{8} = \frac{0.664}{\sqrt{ReL}}$$

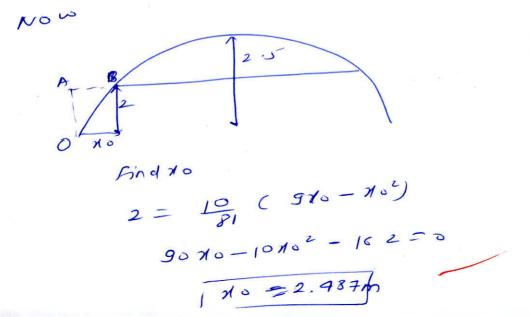
$$\Rightarrow \frac{1}{2} \frac{1}{8} \frac{1}{8} \frac{1}{8} = \frac{63.83 \, \text{N/m}^2}{\sqrt{ReL}}$$

4 (b)

A stream is spanned by a bridge which is a single masonry arch in the form of a parabolic arch, the crown being 2.5 metre above the springings which are 9 meters apart. The overall width of the bridge is 6 metres. During a flood the stream rises to a level 2 metres measured in the direction of the stream above the springings. Calculate the force tending to lift the bridge from its foundations if the arch remains water tight.

[20 marks]





Force on world surface CAB = 100 × VOAD × 2

A B

in Kiscolumn.

2,487

Aseq OAB = $\int_{0}^{2.487} (2-4) dx$

 $A_{OAB} = \int_{0}^{2.417} \left[2 - \frac{10}{81} \left(9x - x^{2} \right) \right] dx$

Aons = 2.171m2

volume of waterin OAB = AOAB X WIDE = 2.171 X G

 $V = 13.026m^3$

Each side = 2 v= 2 c. 05 cm3

Fup= 2VXYW= 255.57FN



- 4 (c)
- (i) Define bulk modulus of elasticity of a fluid. What is the SI unit of bulk modulus of elasticity? Discuss the factors affecting bulk modulus of elasticity of a fluid. Why liquids are generally considered incompressible?
- (ii) Show that the theoretical discharge in an open channel flow may be expressed as:

$$Q = A_2 \sqrt{\frac{2g(\Delta y - h_f)}{1 - \left(\frac{A_2}{A_1}\right)^2}}$$

where A_1 and A_2 are the cross-sectional areas of flow at sections (1) and (2) respectively, Δy is the drop in the water surface between the two sections and h_f is the energy head loss between the two sections.

[10 + 10 marks]

Bulk modulus of Flosticity of Pluidis

defined as $K = -\frac{dP}{dVIV}$.

Measures compressibility of fluid

It is pressure that must be applied

for unit volumetric strain / Lidabian

Unit -> MPA Or NIMM2 Or NIMM2

Unit -> MPA Or NIMM2 OR NIMM2

Factors are:-1) density of fluid

2) Ambient pressure 3) poisson on of Modulus of elasticity of pluid.

4 Modulus of elasticity of pluid.

Liquids are generally incompressible because

wids are generally incompressible better

their densities are already high

and molecules are compared to gares

very close as compared to gares

Hence to compress it. 198 ge

pressible better

pressible better

And molecules are compared to gares

Hence to compress it. 198 ge

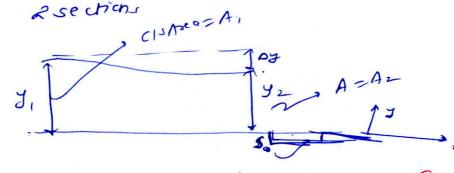
K'for 11'quids figh



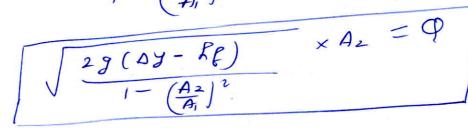
(ii) In OCF

By energy equation between

2 se chians



$$\frac{2S(\Delta y - R_g) A_z^2}{1 - \left(\frac{A_z}{A_l}\right)^2} = Q^2$$



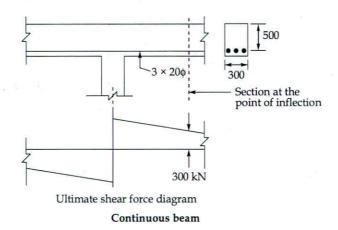
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Section B: Design of Concrete and Masonry Structures-1 + Strength of Materials-2

Q.5 (a) Check for bond stress at the point of inflection of a continuous beam as shown in figure, if it is subjected to an ultimate shear force of 300 kN at the point of inflection. Consider concrete of grade M20 and steel of grade Fe415. [Take design bond stress for M20 concrete = 1.2 N/mm²]



[12 marks]

$$V_{4} = 300 fN \qquad M_{20}$$

$$Fe = 915$$

$$T_{6} d = 1.2 N lmm^{-1}$$

$$Ld \leq \frac{M_{1}}{V_{4}} + 10$$

$$Ld = 0.87 fy d = 0.87 \times 915 \times 20$$

$$4 \times 1.2 \times 1.6$$

$$1 Ld = 940.23 mm$$

NOW

$$M_1 = 0.87 \text{ B} \text{ Ast } \left[d - \frac{\text{ by Ast}}{\text{ bckb}} \right]$$
 $ASt = 3 \times 1 \times 20^2 = 942.98 \text{ mm}^2$
 $M_1 = 0.84 \times 915 \times 942.98 \left[500 - 915 \times 942.99 \right]$
 $M_1 = 147.958 \text{ km}$

Œ

Q.5 (b) State the assumptions made while analyzing the reinforced concrete beam using Limit State of Flexure as per IS 456:2000 Code.

[12 marks]

50th

- D Plane sections normal to axis

 sem ain plane even of ter bending

 thus strain is linear over

 depth of section
- 3 Tensile strength of concrete
- 3 perfect bond between steel of consider

 perion

 Stress stroin diagram for

 (ancrete is paraholic rectangular

0.4° 8° 0.0°2 0.0°35

For steel 0.37

- © Forlyze will always occur by conshing of concrete in compression when it sea ches strain of 0.0035
 - @ Partid Fos for steel -1.15 concret → 1.5
- B Moximum stocin in tensile seinforcement

 at failure must not be less than

 Enert ? 0.87 by +0.002.

 This engues steel has yielded

This ensures steel has yielded prior to concrete cousting 4.5 (c)

EPSY Question Cum Answer Booklet

Three exactly similar mild steel tube specimens have the external and internal diameters 37.5 mm and 31.25 mm respectively. One of these specimens was tested in pure tension and limit of proportionality was recorded to be 70 kN. The second specimen was tested in torsion whereas the third was tested in torsion with superimposed bending moment of 350 Nm. If the failure criterion is the maximum shear stress, determine the torque at which the two specimens would have failed?

[12 marks]

Sold

NOW SOMPLE-1

$$T = 6 = \frac{70 \times 10^{3}}{74 \times [37.5^{2}-31.25^{3}]}$$
 $C_{0} = \frac{207.42 \text{ N/mm}^{2}}{74 \times [37.5^{2}-31.25^{3}]}$
 $C_{0} = \frac{15T}{74} = \frac{7}{74} = \frac{7}{74}$

$$7 = \frac{\int cTD}{\pi \int D^{9} - d^{9}}$$

$$7 = \frac{\int c}{2} \pm \sqrt{(\frac{c}{2})^{2} + 2^{2}}$$

$$7 = \frac{\int cD}{\pi \int D^{9} - d^{9}} \left[M \pm \sqrt{M^{2} + 7^{2}} \right]$$

$$7 = \frac{\int cD}{\pi \int D^{9} - d^{9}} \left[Q \sqrt{M^{2} + 7^{2}} \right] \leq 207.42$$

$$7 = 0.4319 = 0.5559$$

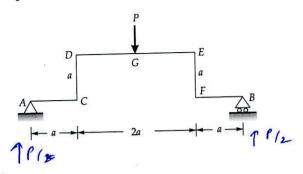
$$7 = 0.4319 = 0.5559$$



.5 (d)

3 IIIMDE ERZZ

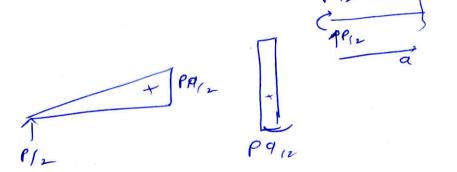
Find the central deflection of the framed beam using strain energy method as shown in figure. [EI is constant]



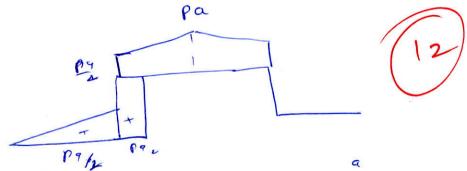
[12 marks]

$$U = \int \frac{M^2 dx}{2EI}$$

$$\Delta = \frac{\partial U}{\partial P} \int \frac{M \cdot OM}{EI} dx$$



BMD



$$0 \Delta = 2 \times \left[\int_{0}^{a} \frac{Px \times x}{FI} dx + \int_{0}^{p} \frac{P9 \times \frac{9}{2}}{C-Z} dx + \int_{0}^{2} \frac{P9 \times \frac{9}{$$

$$\Delta = 2 \times \left[\begin{array}{c} Pq^3 + Pq^3 \\ \hline 12EI \end{array} \right] + \begin{array}{c} Pq^3 \\ \hline 4EI \end{array} \right]$$

$$\left[\Delta = 11Pq^3 \right]$$



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Page 38 of 64

Do not write in this marc .5 (e)

MRDE ERSY

A machine component is made of a material whose ultimate strength in tension, compression and shear are $40~\rm N/mm^2$, $110~\rm N/mm^2$ and $55~\rm N/mm^2$ respectively. At the critical point in the component, the state of stress is represented by

$$\sigma_x = 25 \text{ N/mm}^2 \text{ and } \sigma_y = -75 \text{ N/mm}^2$$

Find the maximum value of the shear stress τ_{xy} which will cause failure of the component? [12 marks]

poincipal stress 6,, = 61+5 + (61-67)+ Tm 6,2 = -25 ± \(50^2 + Time -25- + J502+T2 7 = 41.53 N/m-For compresi-25 + 5502+12 = 110 1 Z & G3,79 NIMEL 10+)2=(2) 502+72 E 55 TT = 22,913 NIMUZ



MADE ERSY Question Cum Answer Booklet Page 40 of 64

write in this mar .6 (a)

MADE ERSY

Design a rectangular beam section of 300 mm width and 500 mm effective depth which is subjected to an ultimate bending moment of 50 kNm, ultimate shear force of 50 kN and ultimate torsional moment of 40 kNm. Consider concrete of grade M20 and steel of grade Fe415. [Assume effective cover = 35 mm]

	≤0.15				
$\tau_c (N/mm^2)$	0.28	0.36	0.48	0.56	0.62



MADE ERSY Question Cum Answer Booklet

Page 42 of 64

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Page 43 of 64

- Q.6 (b) (i) A ring beam of water tank has a diameter of 12.5 m. It is subjected to outward radial force of 25 kN/m. Design the section of ring beam using M25 and Fe415. Assume m = 11 and allowable stress in tension as 1.2 N/mm².
 - (ii) Calculate the development length in tension and compression for a single mild steel bar of diameter ϕ in concrete of grade M20. Assume τ_{bd} = 1.2 N/mm².

[14 + 6 marks]

Page 45 of 64

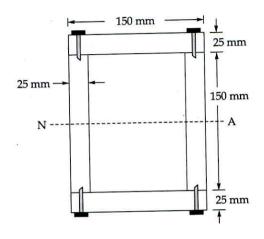


MADE ERSY Question Cum Answer Booklet

Page 46 of 64

Do not write in this mar .6 (c)

The box beam as shown in figure below is made up of four 150 mm \times 25 mm wooden planks connected by screws. Each screw can safely transmit a shear force of 1250 N. Estimate the minimum necessary spacing of screws along the length of the beam if the maximum shear force transmitted by the cross-section is 5000 N. Also determine the shear stress distribution across the section.

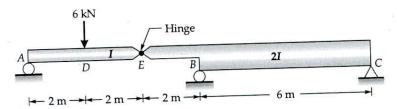


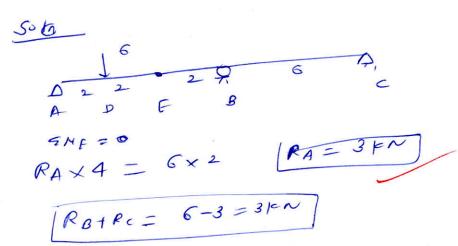


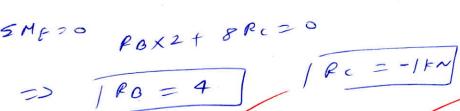
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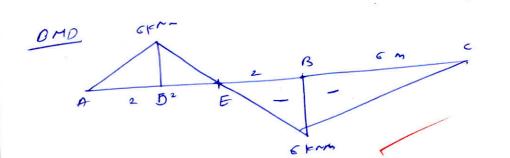
Page 48 of 64

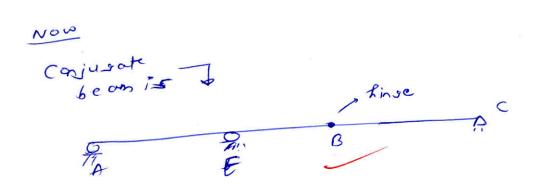
Do not write in this ma 7 (a) A hinged beam system is loaded as shown below. Determine the slope at point *E* and *D*. Also determine the deflection at *D*. Use Conjugate beam method.



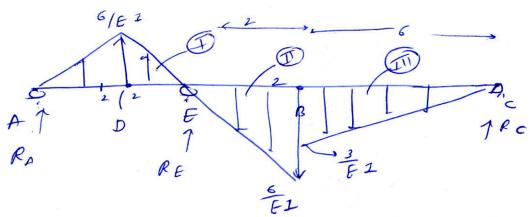








M Edissi



$$A \times 9 - I = \frac{1}{2} \times 4 \times \frac{6}{EI} = \frac{12}{EI}$$

$$A = \frac{1}{2} \times 2 \times \frac{6}{EI} = \frac{6}{EI}$$

$$A = \frac{1}{2} \times 6 \times \frac{3}{EI} = \frac{9}{EI}$$

$$PATRETRC = \frac{G+g}{EI} - \frac{12}{EI} = \frac{3}{EI}$$

$$R \subset X = \frac{9}{E_1} \times \frac{8}{3} = \frac{3}{E_1}$$

$$R \subset X = \frac{3}{E_1} \times \frac{9}{3} = \frac{3}{E_1}$$

$$R \in \times 4 + R \times 12 + \frac{12}{C-2} \times 2$$

$$= \frac{G}{E_2} \times (4 + 2 \times \frac{2}{3})$$

$$+ \frac{9}{E_2} \times [6 + \frac{6}{3}]$$

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this margin

MADE ERSY Question Cum Answer Booklet

$$RA = \frac{3-11-3}{EI} = \frac{-11}{EI}$$

$$O_{\xi} - = \frac{\int_{\zeta-z}^{12}}{\int_{\zeta-z}^{1}} \int_{\zeta-z}^{12}$$

$$\int OE + = + \frac{1^2}{EI} \int C.c.w$$

$$\Delta_{D} = M_{D} = \frac{1}{2} \sum_{i=1}^{n} \frac{20}{2}$$

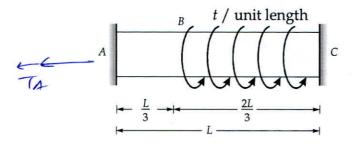
$$M_D + \frac{22}{E_2} = \frac{1}{2} \times 1 \times \frac{5}{E_1} \times \frac{2}{5}$$

$$= -18 \quad | \Delta_D = 18$$

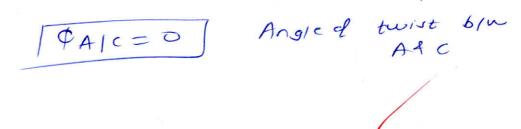
$$\int_{C_1} M_0 = -\frac{18}{C_1} \int_{C_1} D_0 = \frac{18}{C_1} \int_{C_1} D_0 = \frac{18$$



Q.7(b) A solid circular cross-section shaft is clamped at both ends and loaded by a twisting moment *t* per unit length as shown in figure below. Determine the reactive twisting moment at each end of the bar.



$$\frac{T=0}{\left|TA+Tc=\frac{t\times 2L}{3}\right|}$$





$$\frac{T_{A} \times L_{I3}}{GJ} + \int_{0}^{2L_{I3}} \frac{(T_{A} - t^{x})}{GJ} dx = 0$$

$$T_{A \times L} + T_{A \times 2L} - \frac{t}{2} \times \left(\frac{2L}{3}\right)^2 = 0$$

$$\int_{0}^{\infty} and Tc = \frac{2tL}{3} - \frac{2LL}{3} = \frac{4tL}{3}$$

As seen from c
$$\frac{4tL}{g} = \frac{7c}{c} \left[\begin{array}{c} C_{1} \\ C_{2} \\ C_{3} \end{array} \right]$$

$$Ta = \frac{2tL}{g} \left[\begin{array}{c} C_{1} \\ C_{2} \\ C_{3} \end{array} \right]$$

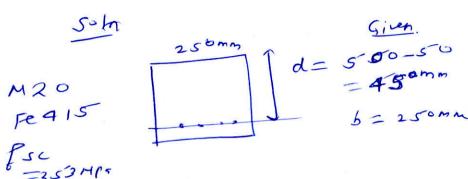


Page 54 of 64

Do no write i this m 7 (c)

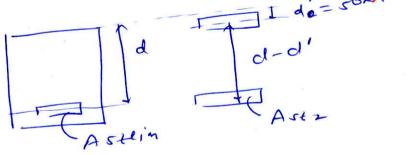
Design a reinforced concrete rectangular section of size 250 × 500 mm for a factored moment of 225 kN. The grades of concrete and HYSD steel are M20 and Fe415, respectively. [Take effective cover = 50 mm, f_{sc} = 353 MPa]

[20 marks]



Mulim= 0.138 PC+b d=0.138x20x250x450

Mu = 225 | Nm > Mulim Hence we have to design doubly seinforced section



Total Asea of steel in tension TAST = (Ast) lim + Ast2

0.36 PCKPSWein= 0.87 B. Ast Pin

NOV

Mu-Mulin = 0.87 & Astz [d-d']

[225 - 135.725] × 10 6

[Ast2 = 590,46mm2]

NOW d/= 50 = 0.11 20.2

TBC = 0.95 [CIE = 9 MAJNO)

Compoes si'un steel

My-Mulin = [&sc - Ecc] Asc [d-d']

[225- 139.725]×106

= [353-9] Ascx 400

TASC = 619.73mmy

Ast - Astlin + Ast = 1667.32

[Asc = 619.73MAL

Check minm tensionsteel= 0.85 xbd = 23/mm2

Asc = 619.73 ARL Jsom. Ast = 1667.32 3 (a)

ERSY Question Cum Answer Booklet

A rectangular beam section of 300 mm width and 500 mm effective depth is reinforced (i) with 5 bars of 20 mm φ, out of which 2 bars have been bent at 45°. Determine the shear resistance of the bent up bars and additional shear reinforcement required if it is subjected to an ultimate shear force of 300 kN. Consider concrete of grade M20 and steel of grade Fe415.

	≤0.15				
$\tau_c (N/mm^2)$	0.28	0.36	0.48	0.56	0.62

(ii) Determine the ultimate load capacity of a circular column of 400 mm diameter reinforced with 6 \times 25 mm ϕ bars adequately tied with (i) lateral ties and (ii) spirals. Consider concrete of grade M25 and steel of grade Fe415.

[10 + 10 marks]



Page 58 of 64

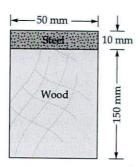
Do no write this m 2.8 (b)

A staircase consists of 14 steps, each of 300 mm tread and 180 mm rise, plus two landings of each 1.25 m length. The width of staircase is 1.4 m. Design the staircase for a live load of 5 kN/m². Use M20 grade concrete and Fe415 reinforcement.

•

Q.8 (c)

(i) A wooden beam 50 mm wide and 150 mm deep is reinforced by gluing a steel plate 10 mm thick and 50 mm wide on the top of section. The beam is simply supported over its ends which are 5 m away from each other. The beam carries a point load of $500 \, \text{kN}$ at mid of beam. Calculate maximum shear stress at the junction of wood and steel plate. Take m = 20.



(ii) Find the dimensions of a hollow steel shaft of internal diameter 0.6 times the external diameter, to transmit 150 kW at 250 rpm, if the shearing stress is not to exceed 70 N/mm². If a bending moment of 3000 Nm is now applied to the shaft, find the speed at which it must be driven to transmit the same power for the same value of maximum shearing stress.

[10 + 10 marks]

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