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# **DBMS**

## COMPUTER SCIENCE & IT

Date of Test: 01/10/2023

#### ANSWER KEY >

1.	(c)	7.	(d)	13.	(c)	19.	(a)	25.	(a)
2.	(b)	8.	(c)	14.	(b)	20.	(b)	26.	(b)
3.	(a)	9.	(c)	15.	(a)	21.	(d)	27.	(c)
4.	(b)	10.	(d)	16.	(a)	22.	(a)	28.	(a)
5.	(c)	11.	(b)	17.	(b)	23.	(b)	29.	(d)
6.	(d)	12.	(c)	18.	(a)	24.	(b)	30.	(b)

#### **DETAILED EXPLANATIONS**

#### 1. (c)

 $F_1$  covers  $F_2$ : True  $F_2$  covers  $F_1$ : True

#### 2. (b)

$$\pi_{A,B}(R) \bowtie_{R,B < S,B} \rho_{S(A,B)}(\pi_{B,C}(R))$$

Α	В	Α	В		Α	В	Α	В
1	2-	2	- 3	$\Rightarrow$	1	2	2	3
3	2-	2	1		3	2	2	3

#### 3. (a)



So, ER-diagram represents many student can enroll many courses.

- In ER-diagram Relationship set can have own attribute.
- Many to one relation can be represented the relation between non-weak entity set.

#### 4. (b)

B<sup>+</sup> tree index has more levels than B-tree index for large number of keys. Since in B-tree every key appears at only single level but which is not the case for B<sup>+</sup> tree.

#### 5. (c)

$$\frac{(3+2+1)!}{3! \cdot 2!} = \frac{6!}{3! \cdot 2!} = 60$$

#### 6. (d)

Both the statements are incorrect.

The select operation is commutative i.e.  $\sigma_{c_1}(\sigma_{c_2}(R)) \Leftrightarrow \sigma_{c_2}(\sigma_{c_1}(R))$ .

Ultimately only those tupples will be selected which satisfy both  $C_1$  and  $C_2$ . Hence order does not matter. But  $\Pi$  (projection) operation is not commutative.

 $\Pi_{a_1}(\Pi_{a_2}(R)) = \Pi_{a_1}(R)$  if and only if  $a_1$  is substring (or subset) of  $a_2$ , otherwise operation would be incorrect.

#### 7. (d)

The given locking protocol follows the properties of strict 2 PL which is conflict serializable, recoverable and avoid cascading rollbacks.

#### 8. (c)

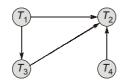
Candidate keys for the relation are: PQ, QS and QR

 $S \rightarrow P$ , prime attribute  $\rightarrow$  prime attribute (not allowed in BCNF but allowed in 3NF).

 $\Rightarrow$  Relation R is in 3NF but not in BCNF since  $S \rightarrow P$  does have a superkey on the left hand side.

## 9. (c)

The precedence graph of the given schedule is



Therefore schedule is equivalent to  $(T_1, T_4, T_3, T_2)$ ,  $(T_1, T_3, T_4, T_2)$  and  $(T_4, T_3, T_1, T_2)$ .

### 10. (d)

Disk block size = 5000 records

Block size = 10 records or 15 (keys + Pointers)

Sparse index at 1st level. So number of disk block at 1st level is number of block in database.

Data base = 
$$\frac{5000}{10}$$
 = 500 blocks  

$$1^{st} \text{ level} = \left[\frac{500}{15}\right] = \left[33.33\right] = 34 \text{ blocks}$$

$$2^{nd} \text{ level} = \left[\frac{34}{15}\right] = \left[2.26\right] = 3 \text{ blocks}$$

$$3^{rd} \text{ level} = 1 \text{ block}$$

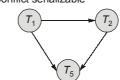
$$\text{Total} = [500 + 34 + 3 + 1] \text{ blocks}$$

$$= 538 \text{ blocks}$$

## 11. (b)

<i>T</i> <sub>1</sub>	<i>T</i> <sub>2</sub>	<i>T</i> <sub>3</sub>
X(B) W <sub>1</sub> (B) X(C) W(C) S(A) U(A)	S(A) R₂(A)	S(B) R <sub>3</sub> (B)
S(B) R(A) U(B) C <sub>1</sub>	S(B) R <sub>2</sub> (B)	
	R <sub>2</sub> (C) U(A)U(B) C <sub>2</sub>	X(A) W <sub>3</sub> (A) U(B)U(A) C <sub>3</sub>

#### (i) Conflict serializable



- (ii) Allowed by 2PL.
- (iii) Not strict recoverable.
- (iv) No allowed by strict 2PL.

#### 12. (c)

If relation R in 3NF but not BCNF then atleast two compound keys must exists where non-trivial FD with determinant not superkey.

#### 13. (c)

The given relation with functional dependencies is in 3NF i.e., no transitive and partial function dependency exist but  $C \to A$ , violets BCNF i.e., super key  $\to$  any attributes. So, relation R in 3NF but not BCNF.

#### 14. (b)

$\textit{[AB} \rightarrow \textit{C}$		$\textit{[AB} \rightarrow \textit{C}$		[AB  ightarrow C
$C \rightarrow A$		$C \rightarrow A$		$C \rightarrow A$
$\textit{BC} \to \textit{D}$		$BC \rightarrow D$	• 5	$BC \to D$
$\textit{ACD} \rightarrow \textit{B}$	After	$CD \rightarrow B$	After	$\textit{BE} \to \textit{C}$
$\textit{BE} \to \textit{C}$	removal of	$\textit{BE} \to \textit{C}$	removal of	$\textit{EC} \rightarrow \textit{F}$
$\textit{EC} \rightarrow \textit{F}$	extraneous	$\textit{EC} \to \textit{F}$	redundant	$\textit{CF} \to \textit{B}$
$\textit{EC} \to \textit{A}$	attributes	$EC \rightarrow A$	FD's	$D \rightarrow E$ ]
$\textit{CF} \to \textit{B}$		$\textit{CF} \rightarrow \textit{B}$		Minimal
$\textit{CF} \to \textit{D}$		$\textit{CF} \rightarrow \textit{D}$		cover
$D \rightarrow E$ ]		$D \rightarrow E$ ]		

#### 15. (a)

Condition  $X = X_1$  and  $Y \neq Y_1$  says that vertices whose starting vertex is same but end vertices is different, which returns vertices whose out degree is at least 2.

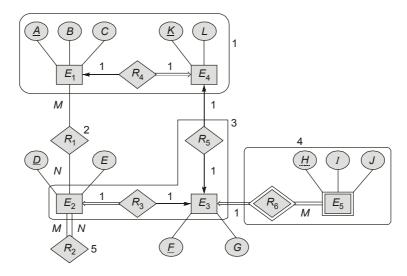
#### 16. (a)

 $Q_1$ : Retrieves A which are more than some C.

 $Q_2$ : Retrieves A which are more than some C.

 $Q_3$ : Retrieves A which are more than every C.

#### 17. (b)



#### 18. (a)

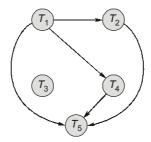
Order P:

$$P \times \text{Pointer} + (P-1) \times \text{Key} \leq \text{Block}$$
  
 $P \times 8 + (P-1) \cdot 12 \leq 1000$   
 $20 P \leq 1012$ 

$$P = \left\lfloor \frac{1012}{20} \right\rfloor = 50$$

Level	Min nodes	Min B <sub>P</sub>	Min keys
1	1	2	1
2	2	2 × 25	24
3	50	_	50 × 24
			1200

#### 19. (a)



# of serial schedules conflict equal to schedule (S) is # of topological orders

$$T_1 < T_2 - T_4 - T_5 T_4 - T_2 - T_5$$
 2 sequences for  $T_1 T_2 T_4 T_5$ 

 $T_{\rm 3}$  can be any where in both sequences. Total 10 topological order.

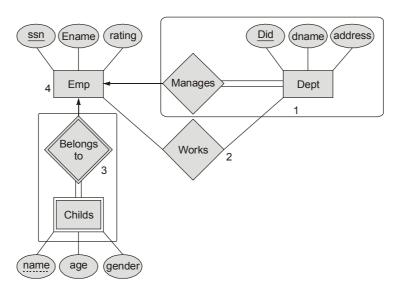
#### 20. (b)

Order 
$$P \Rightarrow P \times B_P + (P-1)$$
 Key  $\leq$  Block  
 $P \times 12 + (P-1)$  20  $\leq$  512  
 $32 P \leq$  532  

$$P = \left| \frac{532}{32} \right| = 16$$

Maximum index nodes in index mean min fill factor

#### 21. (d)



Emp (ssn, Ename, rating)

Dept\_manages (did, dname, address, ssn)

Works (ssn did)

Childs belongs to (ssn name, age, gender)

#### 22. (a)

- Only serial schedules  $T_1 \rightarrow T_2$ ,  $T_2 \rightarrow T_1$  are conflict serializable.
- None of non serial schedules are conflict serializable.

$${}^{5}C_{2} + {}^{5}C_{3} + {}^{5}C_{4} + {}^{5}C_{5} = 26$$

#### 24. (b)

The output Table will be

Dealer-No.	Color-id		
$D_2$	C <sub>2</sub>		
$D_7$	$C_3$		
D <sub>2</sub>	C <sub>5</sub>		
D <sub>7</sub>	C <sub>6</sub>		

Block factor of database = 
$$\frac{512}{16}$$
 = 32

Number of block in database = 
$$\frac{8192}{32}$$
 = 256

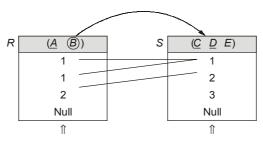
In first level entry for each record,

Number of blocks in first level = 
$$\frac{\text{Number of Database Block}}{\text{Entry size of 1st level}} = \left| \frac{256}{32} \right| = 8$$

In second level

Number of blocks in second level = 
$$\frac{\text{Number of 1st level Block}}{\text{Entry size of 2nd level}} = \left\lceil \frac{8}{32} \right\rceil = 1$$

#### 26. (b)



Can consists Null values

Can consist Null values

Null value of B column record not references to any record of S. Remaining records of R references to atmost one record of S.

#### 27. (c)

 $\{t \mid \exists r \in \text{ student } (r[ID] = t[ID]) \land (\forall u \in \text{course } (u[\text{dept\_name}] = \text{``CS''} \Rightarrow \exists s \in \text{takes } (t[ID] = s[ID]) \land (\forall u \in \text{course } (u[\text{dept\_name}] = \text{``CS''}) \Rightarrow \exists s \in \text{takes } (t[ID] = s[ID]) \land (\forall u \in \text{course } (u[\text{dept\_name}] = \text{``CS''}) \Rightarrow \exists s \in \text{takes } (t[ID] = s[ID]) \land (\forall u \in \text{course } (u[\text{dept\_name}] = \text{``CS''}) \Rightarrow \exists s \in \text{takes } (t[ID] = s[ID]) \land (\forall u \in \text{course } (u[\text{dept\_name}] = \text{``CS''}) \Rightarrow \exists s \in \text{takes } (t[ID] = s[ID]) \land (\forall u \in \text{course } (u[\text{dept\_name}] = \text{``CS''}) \Rightarrow \exists s \in \text{takes } (t[ID] = s[ID]) \land (\forall u \in \text{course } (u[\text{dept\_name}] = \text{``CS''}) \Rightarrow \exists s \in \text{takes } (t[ID] = s[ID]) \land (t[t[ID] = t[ID]) \land (t[ID] = t[ID]) \land (t[ID$  $s[course\_id] = u[course\_id]))$  will results all students who have taken all courses offered in the CS department. Since we know that  $P \Rightarrow Q \equiv \text{not } P \lor Q$ , so option (b) is also true.

#### 28.

In wait-die scheme, when transaction  $T_i$  request a data items currently held by  $T_i$ ,  $T_i$  is allowed to wait only if it has a time stamp smaller then that of  $T_i$  otherwise  $T_i$  is rolled back (die). Here process P is running so it has time stamp less than process Q now if process P need a resource held by process Q then process P has to wait.

#### 29. (d)

Checking for conflict serializable:



Cycle is present So not conflict serialiazable

Since their is blind write between  $W_2(a)$  to  $W_3(a)$ , so it may be view serializable.

Checking for view serializability:

- 1. Final write:
- 2. Initial read:
- $a = T_1, b = T_3$   $a = T_1, T_2 b = T_3, c = T_1$ (2)
- 3. Write read: No write read

$$(T_2, T_3) \rightarrow T_1$$
 from (1)  
 $T_1 \rightarrow T_2, T_3$  from (2)

Both at a time not possible, so not view serializable.

#### 30.

If we insert keys 45,48,55 in same order, then on insertion of key 55, root will be overflow and new level will be created.