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REASONING AND APTITUDE

EC + EE

Date of Test: 10/09/2025

ANSWER KEY >

1.	(c)	7.	(a)	13.	(a)	19.	(c)	25.	(c)
2.	(a)	8.	(d)	14.	(b)	20.	(b)	26.	(a)
3.	(b)	9.	(c)	15.	(a)	21.	(b)	27.	(c)
4.	(c)	10.	(b)	16.	(c)	22.	(a)	28.	(a)
5.	(c)	11.	(a)	17.	(a)	23.	(d)	29.	(a)
6.	(b)	12.	(b)	18.	(c)	24.	(a)	30.	(a)

DETAILED EXPLANATIONS

1. (c)

$$C = \frac{A+D}{2}, D > B > C$$

$$B = \frac{A+E}{2}$$

$$A+D=2C$$

$$A+E=2B$$

Since $B > C \Rightarrow E > D$

Since C is average of A and D, so A < C

 \Rightarrow The correct sequence is A < C < B < D < E

The middle number is *B*.

2. (a)

Let the age of Rohini in 2014 is *x* years,

His brother's age = x - 6 years

In 2004,

$$3(x-6-10) = x-10$$
$$3x-48 = x-10$$
$$2x = 38$$
$$x = 19$$

Rohini's age in 2014 is 19 years.

 \Rightarrow She was born in 2014-19 = 1995

3. (b)

Let, The full fare
$$= ₹x$$

The reservation charge $= ₹y$
 $x + y = 362$

$$\frac{3}{2}x + 2y = 554$$

From here,

$$x = 340$$
 and $y = 22$

⇒ Reservation charge is ₹ 22.

4. (c)

Let their present ages are 4x, 5x. Eighteen years ago, their ages were = 4x - 18, 5x - 18

$$\frac{4x-18}{5x-18} = \frac{11}{16}$$

$$64x - 288 = 55x - 198$$

$$9x = 90$$

$$x = 10$$

Sum of their present ages = $4x + 5x = 9x = 9 \times 10 = 90$ years

5. (c)

$$378 = 2 \times 3^3 \times 7$$

 $675 = 3^3 \times 5^2$



HCF of 378 and 675 is, $3^3 = 27$

The minimum number of sections is given by,

$$= \frac{378}{27} + \frac{675}{27}$$
$$= 14 + 25 = 39 \text{ sections}$$

6. (b)

The area of sector
$$OAB = \pi r^2 \times \frac{\theta}{360^\circ} = \pi (10)^2 \times \frac{\theta}{360^\circ} = 80$$

From here,

$$\left(\frac{\theta}{360^{\circ}}\right) = \frac{80}{\pi \times (10)^2}$$

Length of arc
$$AB = 2\pi r \times \frac{\theta}{360^{\circ}}$$

$$= 2\pi \times 10 \times \frac{80}{\pi \times (10)^2} = 16 \text{ cm}$$

Perimeter of platform = 16 + 10 + 10 = 36 cm Length of the wire required = $3 \times 36 = 108$ cm



According to the given information,

$$\frac{23}{100} = \frac{10 \times 2 + 20 \times 3 + 30 \times x}{100 \times (2 + 3 + x)}$$

$$23 = \frac{20 + 60 + 30 \times x}{5 + x}$$

$$23(5 + x) = 80 + 30x$$

$$7x = 35$$

$$x = 5$$

$$(7 + 2) \times 4 = 36$$

 $(6 + 8) \times 3 = 42$
 $(9 + 4) \times x = 26$

From here,

$$x = 2$$

9. (c)

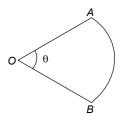
The number of boys in 6th class

$$= \frac{20}{100} \times \frac{3}{5} \times 1000 = 120$$

The number of boys in 9th class

$$= \frac{18}{100} \times \frac{3}{5} \times 1000 = 108$$

Total boys in 6^{th} & 9^{th} class= 120 + 108 = 228



10. (b)

 \therefore A is sitting in between B and C.

11. (a)

First month's saving
$$= \ \cdot 20$$

Second month's saving $= \cdot 20 + 4$
Saving after n months $= \cdot 20 + (n-1)4$

$$\frac{n}{2}(2 \times 20 + (n-1) \times 4) \ge 1000$$

$$40n + n(n-1) \times 4 \ge 2000$$

$$40n + 4n^2 - 4n \ge 2000$$

$$4n^2 + 36n - 2000 \ge 0$$

$$n \ge 18.30, -27.30$$

$$n = 19$$

⇒ After 19 months his savings will be greater than ₹ 1000.

12. (b)

Let the cost prices are x, 2x, 4x

Let the quantities are 2y, 5y, 2y

Total cost price =
$$2 xy + 10 xy + 8 xy = 20 xy$$

Total profit = $\frac{10}{100} \times 2xy + \frac{20}{100} \times 10xy + \frac{25}{100} \times 8xy$
= $0.2 xy + 2 xy + 2 xy = 4.2 xy$
Profit percentage = $\frac{4.2xy}{20xy} \times 100 = 21\%$

13. (a)

According to given data,

$$20 \times t + 12(10 - t) = 150$$
$$8t + 120 = 150$$
$$t = \frac{30}{8} = \frac{15}{4}$$

The ratio of distance,

$$20 \times \frac{15}{4} : 12 \times \left(10 - \frac{15}{4}\right)$$

$$75 : 75$$

$$1 : 1$$



14. (b)

 $\triangle ABC$ is similar to $\triangle DBE$

$$\Rightarrow$$
 If

$$DE = 0.65 AC$$

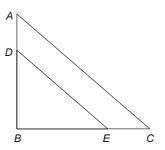
$$DB = 0.65 AB$$

$$BE = 0.65 BC$$

Initially area =
$$\frac{1}{2} \times AB \times BC = 34 \text{ cm}^2$$

Changed area =
$$\frac{1}{2} \times BE \times DB = \frac{1}{2} \times 0.65AB \times 0.65BC$$

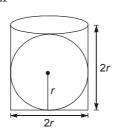
= $\frac{1}{2} \times (0.65)^2 \times AB \times BC$
= $(0.65)^2 \times 34 = 14.365 \text{ cm}^2$



15. (a)

Volume of total wood =
$$\pi r^2 \times h$$

= $\pi r^2 \times 2r$



[:: h = diameter = 2r]

The radius of largest sphere possible = r

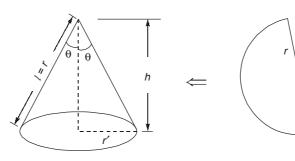
volume of sphere = volume of wood used

$$= \frac{4}{3}\pi r^3$$

Volume of wood wasted = $2\pi r^3 - \frac{4}{3}\pi r^3 = \frac{2}{3}\pi r^3$

Required ratio =
$$\frac{4}{3}\pi r^3 : \frac{2}{3}\pi r^3 = 2:1$$

16. (c)



Height of cone formed be h

Slant height of cone so formed = radius of given circle

$$\Rightarrow$$

$$l = r$$



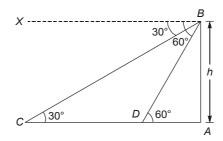
Now circumference of base of cone = Circumference of given sector of circle

$$\Rightarrow \qquad \qquad 2\pi r' = 2\pi r \times \frac{360^{\circ} - 144^{\circ}}{360^{\circ}}$$

$$\Rightarrow \qquad r' = \frac{3}{5}r$$

Now vertex angle =
$$2\theta = 2\sin^{-1}\left[\frac{r'}{l}\right] = 2\sin^{-1}\left[\frac{3}{5}\right]$$

17. (a)



From figure,
$$\tan 30^\circ = \frac{h}{AC}$$

$$AC = h\sqrt{3} \qquad \dots(i)$$

$$\tan 60^{\circ} = \frac{h}{AD}$$

$$AD = \frac{h}{\sqrt{3}} \qquad \dots (ii)$$

Also,

$$CD = AC - AD$$

$$= h\sqrt{3} - \frac{h}{\sqrt{3}} = \frac{2h}{\sqrt{3}}$$

Time taken to cover CD is 10 min,

we know speed =
$$\frac{\text{Distance}}{\text{time}}$$

$$\therefore S = \frac{\frac{2h}{\sqrt{3}}}{10} = \frac{h}{5\sqrt{3}}$$

∴ time taken to cover,
$$AD = \frac{\text{(Distance }AD)}{\text{Speed}} = \frac{\left(\frac{h}{\sqrt{3}}\right)}{\frac{h}{(5\sqrt{3})}} = 5 \text{ minutes}$$

18. (c)

Probability that either one of them is lying

$$= \frac{90}{100} \times \frac{20}{100} + \frac{10}{100} \times \frac{80}{100}$$

Chances that he is first one=
$$\frac{\frac{10}{100} \times \frac{80}{100}}{\frac{90}{100} \times \frac{20}{100} + \frac{10}{100} \times \frac{80}{100}} \times 100 = \frac{\frac{800}{10000}}{\frac{1800}{10000} + \frac{800}{10000}} = \frac{800}{2600} = \frac{8}{26} = \frac{4}{13}$$

19. (c)

Let the number of trucks to be used initially = x

Let capacity of one truck =
$$y$$

 $xy = 60$
 $(x + 4)(y - 0.5) = 60$
 $xy + 4y - 0.5x - 2 = 60$
 $4y - 0.5x - 2 = 0$
 $240 - 0.5x^2 - 2x = 0$
 $xy + 4x - 480 = 0$
 $x = 20, -24$

By neglecting the negative value, we get, x = 20.

20. (b)

Let B can do the work in x days. A can do the work in x – 6 days.

$$\frac{1}{x} + \frac{1}{x - 6} = \frac{1}{x - 8}$$

$$\frac{x - 6 + x}{x^2 - 6x} = \frac{1}{x - 8}$$

$$(2x - 6)(x - 8) = (x^2 - 6x)$$

$$2x^2 - 22x + 48 - x^2 + 6x = 0$$

$$x^2 - 16x + 48 = 0$$

$$x = 12, 4$$

 $x \neq 4$ because for x = 4, x - 6 will be negative which is not possible. So, x = 12.

21.

Let the cost price of the item = $\mathbf{\xi} x$

selling price =
$$x \times \frac{125}{100} = 1.25x$$

discount = 25%

$$\Rightarrow$$
 marked price = $1.25x \times \frac{100}{75} = \frac{5}{3}x$

New rate of discount = 10%

New selling price =
$$\frac{5x}{3} \times \frac{90}{100} = \frac{3x}{2}$$

New profit =
$$\frac{3x}{2} - x = \frac{x}{2}$$

Profit percentage = $\frac{x/2}{x} \times 100 = 50\%$

22. (a)

Let Pradeep alone can do the work in *x* days.

$$\frac{1}{24} + \frac{1}{30} + \frac{1}{x} = \frac{1}{12}$$

$$\frac{1}{x} = \frac{1}{12} - \frac{1}{24} - \frac{1}{30}$$

$$x = 120$$

Payment is in inverse ratio of number of days they required to do the work alone.

Ratio of payment

Ajay
 Vijay
 Pradeep

$$\frac{1}{24}$$
 : $\frac{1}{30}$
 : $\frac{1}{120}$

 5
 : 4
 : 1

⇒ Pradeep gets the amount = $\frac{1}{5+4+1} \times 200 = ₹20$

23. (d)

Let the number of fruits be 2k, 5k and 8k

Given,
$$5k - 2k = \text{multiple of 6 and 8}$$

LCM of 6 and 8 is 24

Let's say
$$5k - 2k = 24n$$
$$3k = 24n$$

For *k* to be a natural number and have minimum value, *n* should be equal to 1

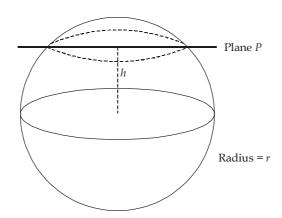
$$3k = 24$$
$$k = 8$$

Or k = 8

Hence, the minimum number of fruits = $2k + 5k + 8k = 15 \times 8 = 120$

24. (a)

Area =
$$4\pi r^2$$

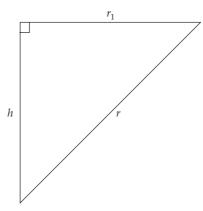




Cumulative area of the two pieces = 25% more than that of sphere = 1.25 \times 4 π ² = 5 π r² Extra area = area of two new circles = πr^2

Let radius of new circle be r_1 .

Now,
$$\pi r_1^2 = \pi r^2 / 2$$



$$r_1 = r / \sqrt{2}$$

 $r_1 = r / \sqrt{2}$ Now, r_1 , h and r form a right angled triangle.

$$h^2 + r_1^2 = r^2$$
$$h = r / \sqrt{2}$$

Given,

 $x^2 + 5x - 7 = 0$ has roots a and b. We know that,

Sum of roots in a quadratic equation = $a + b = \frac{(-5)}{1} = -5$

Product of the roots = $ab = \frac{(-7)}{1} = -7$.

Now, The second equation $2x^2 + px + q = 0$ has roots a + 1 and b + 1.

Sum of the roots = $a + 1 + b + 1 = a + b + 2 = \frac{(-p)}{2} = -5 + 2 \Rightarrow -3 = \frac{(-p)}{2} \Rightarrow -p = -6 \Rightarrow p = 6$

Product of the roots = $(a + 1)(b + 1) = ab + a + b + 1 = \frac{q}{2}$.

We know the values of ab and a + b. Substituting this, we get, $-7 + (-5) + 1 = \frac{q}{2} \Rightarrow q = -22$.

$$p + q = 6 - 22 = -16$$

26. (a)

First, the n^{th} term of L.H.S need to be defined by observing the pattern :-

It is $\log_{2^n} 2.2^n$

$$\log_2 4 \times \log_4 8 \times \log_8 16 \times \ldots \log_{2^n} 2.2^n = 49$$

Whenever solving a logarithm equation, generally one should approach towards making the base same.

Making the base 2:-

$$\log_2 4 \times \frac{\log_2 8}{\log_2 4} \times \frac{\log_2 16}{\log_2 8} \times \dots \frac{\log_2 2 \cdot 2^n}{\log_2 2^n}$$

$$\log_{2^n} 2 + \log_{2^n} 2^n = 49$$

$$\Rightarrow \qquad 1 + n = 49$$

$$\Rightarrow \qquad n = 48$$

27. (c)

> Let the sum = 100, Time = 3 years Amount due in 3 years = 200

$$100\left(1 + \frac{r}{100}\right)^3 = 200$$

$$\Rightarrow \qquad \left(1 + \frac{r}{100}\right)^3 = 2$$

$$\Rightarrow \qquad \left(1 + \frac{r}{100}\right) = 2^{1/3} \qquad \dots (i)$$

Let the amount become 16 times in n years.

$$100\left(1 + \frac{r}{100}\right)^n = 1600$$

$$\left(1 + \frac{r}{100}\right)^n = 16$$
 ...(ii)

From eq. (i) and eq. (ii), we get

$$(2^{1/3})^n = 16 = 2^4$$

$$\frac{n}{3} = 4$$

$$n = 12 \text{ years}$$

28. (a)

Ways to select 2 females = ${}^{5}C_{2}$

Ways to select 1 male =
$${}^{7}C_{1}$$

$$\therefore \text{ Required probability } = \frac{{}^{5}C_{2} \times {}^{7}C_{1}}{{}^{12}C_{3}} = \frac{7}{22}$$



29. (a)

Sum of angles in n sided polygon = (n - 2) 180°

In hexagon n = 6

$$\therefore$$
 Sum = $(6 - 2)180 = 720^{\circ}$

Each angle =
$$\frac{720^{\circ}}{6}$$
 = 120°

Now, in $\triangle CDE$. CD = DE, so it is an isosceles triangle. The angle at $D = 120^{\circ}$, so other two angles must be 30° each. So $\angle DEC = \angle DCE = 30$ °.

Now,
$$\angle CDG = \angle DCG = 30^{\circ}$$

$$\angle DGC = 180^{\circ} - 30^{\circ} - 30^{\circ} = 120^{\circ}$$

$$\angle DGE = 180^{\circ} - \angle DGC = 180^{\circ} - 120^{\circ} = 60^{\circ}$$

30. (a)

With no restrictions, the six children can be arranged in 6! ways i.e. 720 ways.

In all these arrangements it is just as likely for *E* to be on the left of *F* as it is for *E* to be on the right of F.

Therefore, exactly half must have *E* to the right of *F*, and exactly half must have *E* to the left of *F*.

Therefore, exactly $\frac{720}{2}$ = 360 of the arrangements have *E* to the left of *F*.

